Appendix A

The Resampling Stats Commands

Arithmetic_

- description:: Matlab has many built-in mathematical functions. Here is
 a list of the most commonly used operators. (You can get a more
 complete list by giving the command help name-of-function)
 - + Addition. Example: \gg 3+2
 - Subtraction. Example:
 ≫ b 1
 - **.*** Multiplication. Examples:

 $\begin{array}{l} \gg & 3.*4 \ \Rightarrow \ ans: \ 12 \\ \gg & [3 \ 1 \ 2] .* \ 5.4 \\ ans: \ 16.2 \ 5.4 \ 10.8 \\ \gg & a.*b \end{array}$

Note the dot before the \star . Multiplication also works with a plain \star , which doesn't have the dot. A plain \star instructs MAT-LAB to perform *matrix* multiplication, which is the same as regular multiplication only when one of the arguments to \star is a single number (a "scalar"). If you don't know what this means, don't worry. If you fail to use the dot when it is required, you will in many cases get an error message:

??? Error using ==> *
Inner matrix dimensions must agree.

Simply remember, when you see this message, to put the before the * (unless you really wanted to perform matrix tiplication).

- ./ Division. Remember the dot, which here serves the same pose as in multiplication, to distinguish matrix multiplic from ordinary multiplication.
- sqrt Square root. sqrt(4)
- abs Absolute value. abs(x) .^ Exponentiation. For examp find the square deviation from the mean, (x -mean(x)
- log Logarithm.

 \gg log(10) \Rightarrow ans: 2.3026

log is the "natural logarithm." Use log10 for the loga base 10 and log2 for the base 2 logarithm.

- Syntax: Some things to remember about arithmetic operations in LAB:
 - Use parentheses to make sure that the operation you we being performed. For instance: x mean(x).² is quifferent from (x-mean(x)).²

 $\begin{array}{l} \gg \quad \mathrm{x} = \begin{bmatrix} -1 & -1 & -1 \end{bmatrix} \\ \gg \quad \mathrm{x} - \mathrm{mean}(\mathrm{x}) \cdot ^2 \Rightarrow ans: \quad -2 \quad -2 \quad -2 \\ \gg \quad (\mathrm{x} - \mathrm{mean}(\mathrm{x})) \cdot ^2 \Rightarrow ans: \quad 0 \quad 0 \quad 0 \end{array}$

• All of the operations will work on vectors or arrays of bers. The operation is applied to each element individ For example:

 $> [1 2 3].^{2} \Rightarrow ans: 1 4 9$ $> log([1 2 3]) \Rightarrow ans: 0 0.6931 1.0986$

• For operations that involve two vectors, the two vectors generally be the same size. That is, they should have the number of elements (and should have the same shape). can find the shape of a variable with the **size** command example:

```
 \gg [1 2 3] + [4 5 6] \Rightarrow ans: 5 7 9 \\ \gg [1 2 3 4] + [4 5 6] \\ Error: Matrix dimensions must agree.
```

There is one exception: you can combine a single number with an array of any size. For example:

 \gg [2 4 6] + 1 \Rightarrow ans: 3 5 7